

**Department of Biotechnology**  
**Indian Institute of Technology Kharagpur**  
Mid-semester Examination, Spring Semester 2019-20

Subject: Introduction to Systems Biology

Time: 02 hours

Date – 19<sup>th</sup> February, 2020, AN (14:00 - 16:00h)

Subject No: BT60006

Full Marks: 30

Number of students: 64

**Instruction: Answer ALL questions. Answer all the components of one question in one place. Answer precisely to the point. Make appropriate assumptions wherever necessary.**

**Part-A**

1. (a) Consider the set of following sequences from S1 to S8:

- S1 MSGTRKEEWE
- S2 MSGTRKEGWE
- S3 MCGTRKEEWE
- S4 MSGTRKEEWQ
- S5 MCGTCKEEWE
- S6 MNGTCKEEWE
- S7 MSGTRKECWE
- S8 MNGTCKEEQE

Calculate the pairwise distance matrix between the sequences from S1 to S8 and draw the genotype network by connecting only the sequences that are at distance one from each other. [4]

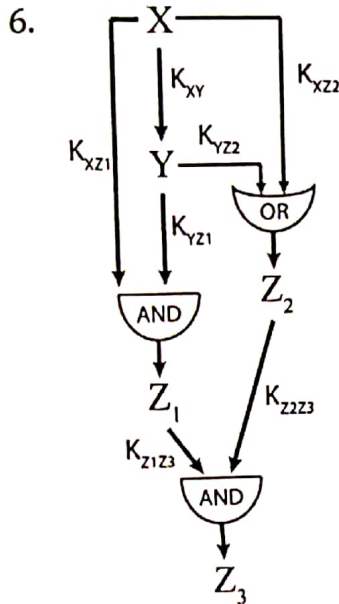
(b) With the help of a schematic diagram, explain negative, positive and reciprocal sign epistasis between two mutations  $M_1$  and  $M_2$  both of which have deleterious fitness effect. [3]

2. A transcription factor 'A' activates the expression of a protein 'B'. The production rate of 'B' is  $100\text{nM min}^{-1}$  and the removal rate of 'B' is  $0.5\text{ h}^{-1}$ . Calculate the steady state concentration of 'B' and its response time. [1+1=2]

3. Gene 'X' negatively autoregulates its own expression with production rate  $500\text{nM min}^{-1}$  when its concentration is below  $10\mu\text{M}$  but the production rate drops to zero when the concentration of X is above this value. Calculate the steady state and the response time of the system. Compare the response time of this circuit with that of a simple regulation circuit that also reaches the same steady state with production rate of  $500\text{nM min}^{-1}$ . [2+1=3]

4. Gene X encodes a repressor that negatively regulates its own expression and also represses gene Y, which also negatively regulates its own expression. At time  $t=0$ , X begins to be produced at a rate  $5\text{nM min}^{-1}$  starting from an initial concentration of  $X=0$  and Y begins to produce at a rate of  $6\text{nM min}^{-1}$  from initial concentration of  $Y=0$ . Schematically plot the dynamics of X and Y. What are the response times of X and Y? Assume repression thresholds  $20\text{nM}$  and  $12\text{nM}$  for action of X on its own promoter and on the Y promoter, respectively and  $15\text{nM}$  for the action of Y on its own promoter. Also assume that all repression lead to zero production. [2+2=4]

5. Consider a cascade of activators  $X \rightarrow Y \rightarrow Z$ . Protein X is initially present in the cell in its inactive form. The input signal of X,  $S_x$ , appears at time  $t=0$  for a pulse of duration 'T', and then vanishes. What is the concentration of Y with respect to time? What is the minimal pulse duration needed for the activation of gene Z? The threshold for activation of Z by Y is  $K_{yz}$ . [3]



Consider the gene regulation circuit as shown in the diagram with indicated activation thresholds and input functions. Assume that the signals for Y,  $Z_1$ , and  $Z_2$  are present throughout.

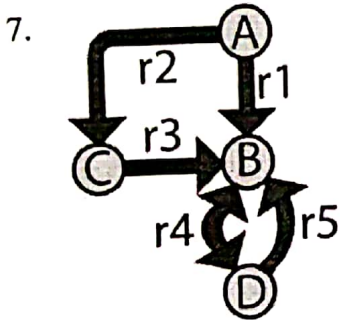
(a) At  $t=0$ , the signal for X,  $S_x$  appears and leads to production of X and generates the active form  $X^*$ . Draw the dynamics of the circuit.

(b) After a long time of being on, the signal  $S_x$  disappears. Draw the dynamics of the circuit.

Assume that  $K_{xz1} < K_{xy} < K_{xz2}$ ,  $K_{yz2} < K_{yz1}$  and  $K_{z1z3} < K_{z2z3}$ .

[5]

Part-B



Construct the stoichiometric matrix for the network shown in Figure 1. Assume all reactions are proceeding in the direction indicated by the arrow and are irreversible. [2]

Figure 1.

8. For the network below draw the corresponding metabolic reaction network map. For the same network write out the S matrix.

Name	Reaction
v1	$A \rightarrow B$
v2	$2B \rightarrow C + \text{byp}$
v3	$2B + \text{cof} \rightarrow D + \text{byp}$
v4	$D \rightarrow E + \text{cof}$
v5	$C + \text{cof} \rightarrow D$
v6	$C \rightarrow E$
b1	$A_{xt} \rightarrow A$
b2	$E \rightarrow E_{xt}$
b3	$\text{byp} \rightarrow \text{byp}_{xt}$

[2+2=4]